

The wavefield. $u(x,t) = A * \sin(2\pi(\frac{x}{\lambda} \pm \frac{t}{T})) = A * \sin(k * x \pm \omega * t)$

$u(\theta(x,t)) = A * \sin(\theta)$ $\theta(x,t) = 2\pi(\frac{x}{\lambda} \pm \frac{t}{T})$ where θ is the phase of the $\sin(\theta)$ wavefield.

$A = \text{amplitude}(m)$ $\lambda = \text{wavelength}(m)$ $T = \text{wave period}(s)$

$x = \text{position}(m)$ $t = \text{time}(s)$ $v (m/s) = \lambda * f = \lambda / T$

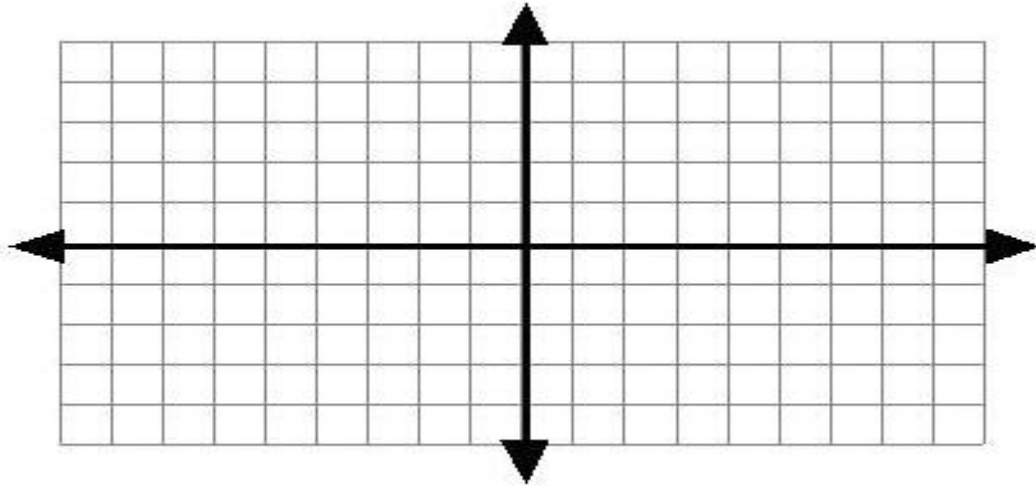
Linear frequency $f = 1/T$ (cycle / s) Angular frequency $\omega = 2\pi / T = 2\pi f$ (radians / s)

$k = 2\pi / \lambda$ (radians / m) angular wave number

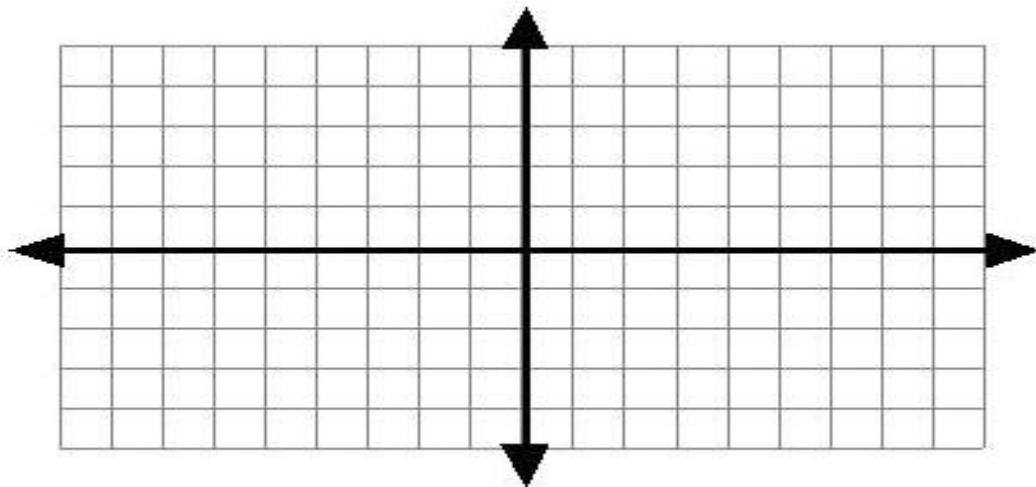
1. (1 pt) What does the function $u(x,t)$ describe (solve) and what are the units of the function.
2. What are the maximum and minimum amplitudes of $u(x,t)$.
3. (1 pt) What is x/λ and what are the units.
4. (1 pt) What is t/T and what are the units.
5. (1 pt) What is $2\pi [x/\lambda - t/T]$ and what are the units.
6. (1 pt) What is the periodicity of a sine and cosine function.
7. (1 pt) What is the equation that described the periodicity of a sin function.

8. (1 pt) What is the equivalence relation between degrees and radians and draw and label the unit circle and label the points from 0 to 2π by $\pi/4$ intervals.
9. (1 pt) Using $v=\lambda*f$, algebraically rearrange the phase to get this expression: $\theta=2\pi/\lambda*(x-v*t)$.
10. (1 pt) Describe why the expression $v=\lambda*f$ is the velocity of any point on the wave.
11. (1 pt) If you propagate with a point on the wave, what must be true of the phase.
12. (1 pt) In terms of our wave solution $u(x,t)$, how does one define a wavefront.
13. (1 pt) What does the '+' and '-' sign between the two terms in the phase function $\theta(x,t)$ manifest for this one spatial dimension wave.
14. (1 pt) A wave of frequency 5.0 Hz travels at a velocity 20 m/s along a string. Calculate the phase difference between the oscillations separated by 1 m along the string.

15. (2 pt) Assume $x=[-2\lambda + 2\lambda]$ (m), $t=2$ (s), $\lambda=2$ (m), $T= 4$ (s), $A=1$ (m), quantitatively draw the sin wave. Is this wave frozen in space or time?



16. (2 pt) Assume $t=[-2T + 2T]$, $x=2$ (m), $\lambda=2$ (m), $T= 4$ (s), $A=1$ (m), quantitatively draw the sin wave. Is this wave frozen in space or time?



17. (3 pt) Assume $t = [0 \ 2T]$ (s), $x = [0 \ 2\lambda]$ (m), $\lambda = 2$ (m), $T = 4$ (s), $A = 1$ (m), quantitatively draw the 2-d image. Is this wave frozen in space or time? Draw a line which is the velocity or slowness ($1/v$) of the wave.

